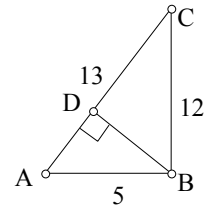


- 1) (D)  $\frac{5x+2}{3} > \frac{4(x+1)}{3} \Rightarrow 5x+2 > 4x+4 \Rightarrow x > 2.$
- 2) (B) Multiplying numerator and denominator by  $x$  gives  $\frac{1+x}{-1+x}.$
- 3) (B)  $3yz^3$
- 4) (B) Since the interest is the amount times the rate,  $250 = 5000r$  or  $r = 1/20$ , which is 5%.
- 5) (A) Since it is with replacement, after the first ball is taken out and then put back in, all the balls are in the bag when the second is taken out. So, it is just  $4/10.$
- 6) (B) The angle vertical to the 40 shown is also 40, so  $x + 40 = 120$  as these are alternate interior angles.
- 7) (D) Using FOIL and  $i^2 = -1$ , we have  $-6 + 4i - 3i + 2i^2 = -6 + i - 2 = -8 + i.$
- 8) (D) when  $(4,3)$  is reflected across the  $x$ -axis its image is  $P = (4,-3)$ , and then the image of  $P = (4,-3)$  under a reflection across the  $y$ -axis is  $(-4,-3)$ . So, the sum is  $-7.$
- 9) (B) Visualizing the box shows  $B$  must be the base.
- 10) (D) Every cubic polynomial has 3 roots, call them  $a$ ,  $b$ , and  $c$  (counting complex roots), and since the graph of the second equation is just the graph of the first shifted to the right 3 units, the roots of the second are  $a+3$ ,  $b+3$ , and  $c+3$ . So the sum of the roots is  $a+b+c+9 = (-4) + 9 = 5.$
- 11) (D) Since Angle-Angle-Angle is all that is known, any triangle similar to this one will have the same angle measures.
- 12) (D)  $\left(\frac{\frac{4}{x^2} - \frac{4}{y^2}}{\frac{20}{x} - \frac{20}{y}}\right) = \frac{\frac{4y^2 - 4x^2}{x^2y^2}}{\frac{20y - 20x}{xy}} = \frac{4(y-x)(y+x)xy}{20(y-x)x^2y^2} = \frac{(y+x)}{5xy}$ , and multiplying this by  $\frac{30xy}{x+y}$  gives 6.
- 13) (B) Let  $x$  be the angle, then  $90-x$  is the complement and  $180-x$  is the supplement. The equation, then, is  $90 - x + 180 - x = 9x + 6$ , or  $11x = 264$ , which has solution  $x=24.$
- 14) (D) Since  $AB=CD$ ,  $BD$  and  $AC$  are parallel. So, the quadrilateral  $ABDC$  is an isosceles trapezoid, and the base angles of an isosceles trapezoid are congruent. (answers (a), (b) and (c) are properties of a parallelogram, rectangle, and rhombus, respectively. These do not follow from only the assumption that  $AB=CD$ .)
- 15) (A) Let  $x$  be one of the 3 congruent angles at  $B$  and  $y$  one of the 3 congruent angles at  $C$ . Then  $3x + 3y + 30 = 180$ , or  $x + y = 50$ . We also know that  $2x + 2y + \angle D = 180$ , or  $x + y = 90 - \frac{1}{2}\angle D$ . Combining equations, then,  
 $50 = 90 - \frac{1}{2}\angle D$ , which simplifies to  $\angle D = 80.$
- 16) (A) Let  $x$  be the distance traveled in miles. Then  $25 + 0.25x = 70$ , or  $x = 180.$

17) (C) Let  $x$  and  $y$  be the two positive numbers. Then,  $(x + y) - (x - y) = 12$  gives  $y=6$ . If you write the difference as  $(x - y) - (x + y) = 12$ , then  $y = -6$ , which is not possible since  $y$  must be positive.

18) (B) Let  $BD = d$  (altitude) and  $AD = x$ , then  $CD = 13 - x$ . Using the Pythagorean Theorem on the two smaller right triangles,  $x^2 + d^2 = 25$  and  $d^2 + (13 - x)^2 = 144$ . Equating the expressions for  $d^2$  in each equation, we get  $25 - x^2 = 144 - (13 - x)^2$ . Therefore,  $25 - x^2 = 144 - 169 + 26x - x^2$ , or  $50 = 26x$ . Since,  $x = 25/13$  and  $x^2 + d^2 = 25$ , we have

$$d^2 = 25 - (25/13)^2 = \frac{25(13)^2 - 25^2}{13^2} = \frac{25(13^2 - 25)}{13^2} = \frac{25(144)}{13^2} = \frac{60^2}{13^2}. \text{ So, } d = 60/13.$$



19) (C) The two large semicircles have radius 5, so together make a circle of area  $25\pi$ . The smaller circle has diameter  $18 - 10 = 8$ , so its area is  $16\pi$ . The shaded area is then  $10(18) - 25\pi - 16\pi$ .

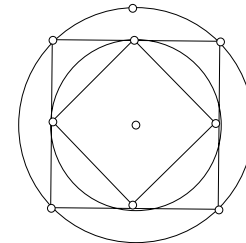
20) (C) The graph shows a total distance of  $40 + 50 + 0 + 60 + 20 + 50 = 220$ , so the average speed is  $220/6 = 36 \frac{2}{3}$  mph.

21)

22) (D) The radius of a circle is one-half the diagonal of its inscribed square. So, half the side length of the largest square is  $\frac{8}{\sqrt{2}}$ ,

which is the radius of the smaller circle. Therefore, the side length of the smaller square is

$$\frac{8}{\sqrt{2}} \cdot \sqrt{2} = 8.$$



22) (C) Let  $x$  be the necessary calories to lose in the 20 days. A loss of  $2400 - 1900 = 500$  calories results in a loss rate of  $1/7$  of a pound per day (1 lb per week). To lose 20 lbs in 8 weeks (56 days), the rate of loss is  $20/56 = 5/14$  lb/day. Solving,  $\frac{500}{1/7} = \frac{x}{5/14}$ , we get  $7 \cdot 500 \cdot 5 = 14x$ , or  $x = 1250$ . Since they must lose 1250 calories, their intake must be  $2400 - 1250 = 1150$ .

23) (D) Let  $w$  be the width of the shaded region. The area of the shaded region is  $xw$  and the area of the large rectangle is  $2xy$ . The area of the two unshaded rectangles is  $2(4x - w)x = 8x^2 - 2xw$ . Therefore,  $2xy - xw = 8x^2 - 2xw$ . Solving, we get  $xw = 8x^2 - 2xy$ .

24) (D) Let  $t$  be the time it takes copier B to complete the job. The rate of machine A is  $1/3$  job per hour, the rate of B is  $1/t$  job per hour, and the rate of them both working together is  $1/2$  job per hour. So, if they all work for  $t$  hours,  $\frac{t}{3} + \frac{t}{t} = \frac{t}{2}$ , or  $2t + 6 = 3t$ , after multiplying both sides by 6. Solving, we get  $t=6$ .

25) (A) Since  $12 \div \frac{1}{2} = 24$ ,  $3\% = 0.03$ ,  $\frac{1}{7} > \frac{1}{9}$ ,  $0.2 \times 0.4 = 0.08$ , none of these statements are true.